

```

procedure Move(  $x, d : \mathbb{N}$ );
local  $j : \mathbb{N}$ ;
begin
     $j := \pi^{-1}[x]; \pi[j] := \pi[j + d]; \pi[j + d] := x;$ 
     $\pi^{-1}[x] := j + d; \pi^{-1}[\pi[j]] := j;$ 
end {of Move};

procedure Perm (  $n : \mathbb{N}$ );
local  $i : \mathbb{N}$ ;
begin
    if  $n > N$  then PrintIt
    else
        Perm(  $n+1$  );
        for  $i := 1$  to  $n - 1$  do
            Move(  $n, dir[n]$  ); Perm(  $n + 1$  );
         $dir[n] := -dir[n];$ 
    end {of Perm};

```

Algorithm 5.11: Recursive Pascal implementation of the SJT Algorithm.

```

procedure Next;
{Assumes that  $\pi_0 = \pi_{n+1} = n + 1.$ }
begin
     $m := n;$ 
    while  $\pi[\pi^{-1}[m] + d[m]] > m$  do           {Find largest mobile integer}
         $d[m] := -d[m]; m := m - 1;$ 
         $\pi[\pi^{-1}[m]] := \pi[\pi^{-1}[m] + d[m]];$  {update  $\pi$ }
         $\pi^{-1}[\pi[\pi^{-1}[m]]] := \pi^{-1}[m];$       {update  $\pi^{-1}$ }
    end {of Next};

```

Algorithm 5.12: Iterative Next implementation of the SJT algorithm (assumes $\pi_0 = \pi_{n+1} = n + 1$).

```

procedure Permute (  $m : \text{integer}$  );
var  $i : \text{integer}$ ;
begin
    if  $m = 0$  then PrintIt;
    for  $i := 1$  to  $m$  do
         $\pi_i := \pi_m;$ 
        Permute(  $m - 1$  );
         $\pi_i := \pi_m;$ 
    end {of Permute};

```

stop at
 $m = 1$?