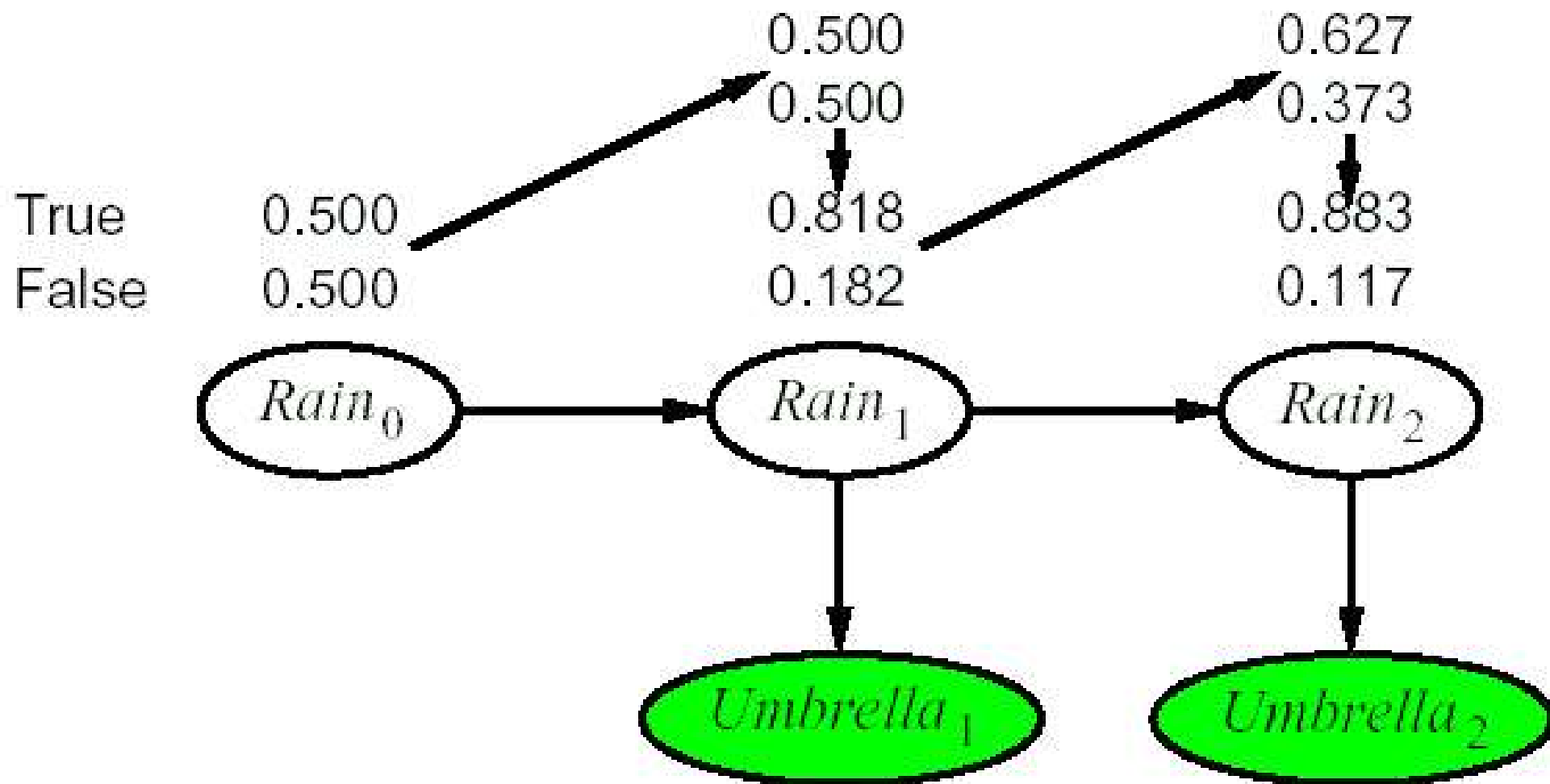


CSC421 Intro to Artificial Intelligence



UNIT 28:
Learning from observations
(+ leftovers from Prob. Reasoning
over Time)

Filtering Example



Smoothing



- Divide evidence $e_{1:t}$ to $e_{1:k}$, $e_{k+1:t}$
 - $P(X_k | e_{1:t}) = P(X_k | e_{1:k}, e_{k+1:t})$
 $= a P(X_k | e_{1:k}) P(e_{k+1:t} | X_k, e_{k+1:t})$
 $= a P(X_k | e_{1:k}) P(e_{k+1:t} | X_k)$
 $= a f_{1:k} b_{k+1:t}$
- Backward message computed by a backwards recursion

Hidden Markov Models

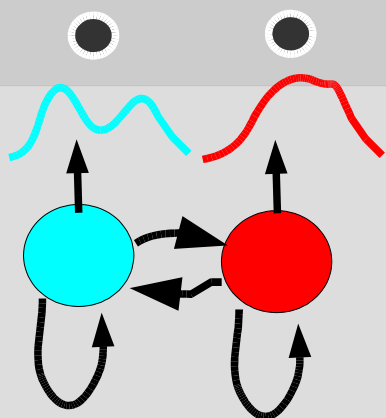


- Dominant method for automatic speech recognition
- Temporal probabilistic model in which the state of the process is described by a single discrete random variable
- Simple and elegant matrix implementation of all the basic algorithms

HMM segmentation



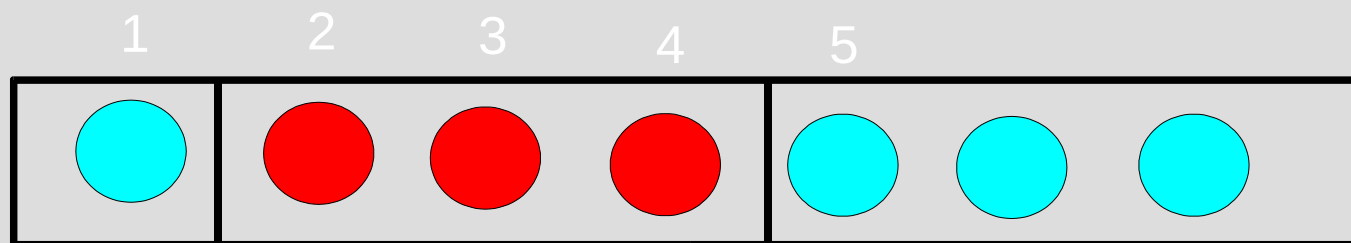
Aucouturier & Sandler, AES 01



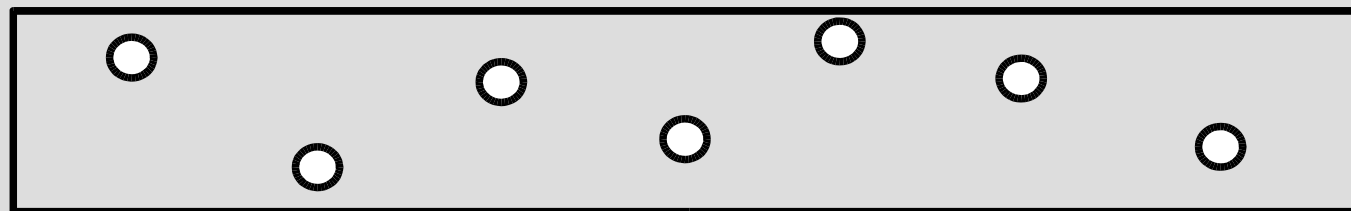
$$p(\bullet | \text{cyan})$$

$$P(\text{red}_t | \text{cyan}_{t-1})$$

Model



Hidden



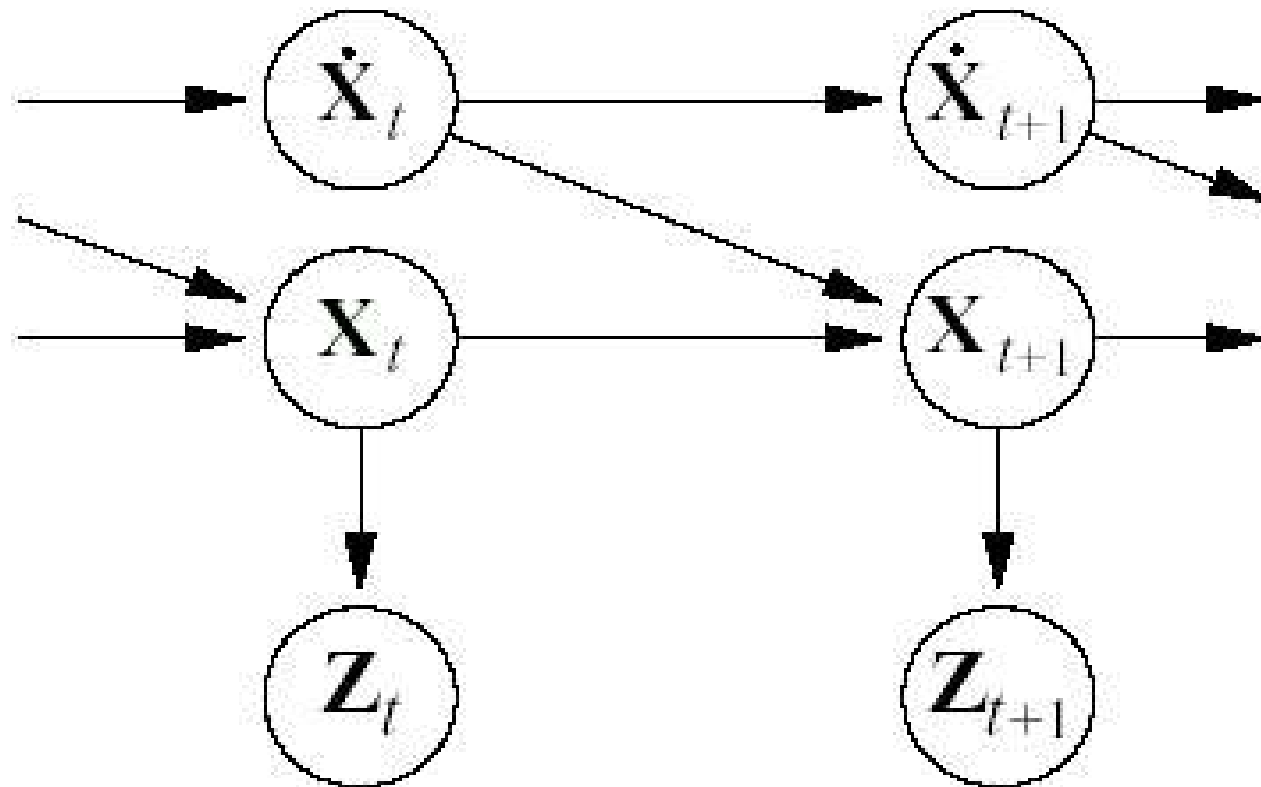
Observed

Kalman Filter



- Modelling systems described by a set of continuous variables
 - Tracking a bird flying $X_t = X, Y, Z, dX, dY, dZ$
 - Airplanes, robots, ecosystems...
- Gaussian prior, linear Gaussian transition model and sensor model
 - i.e next state is a linear function of current state plus some Gaussian noise
 - Key property: linear Gaussian family remains closed under standard Bayesian network operations

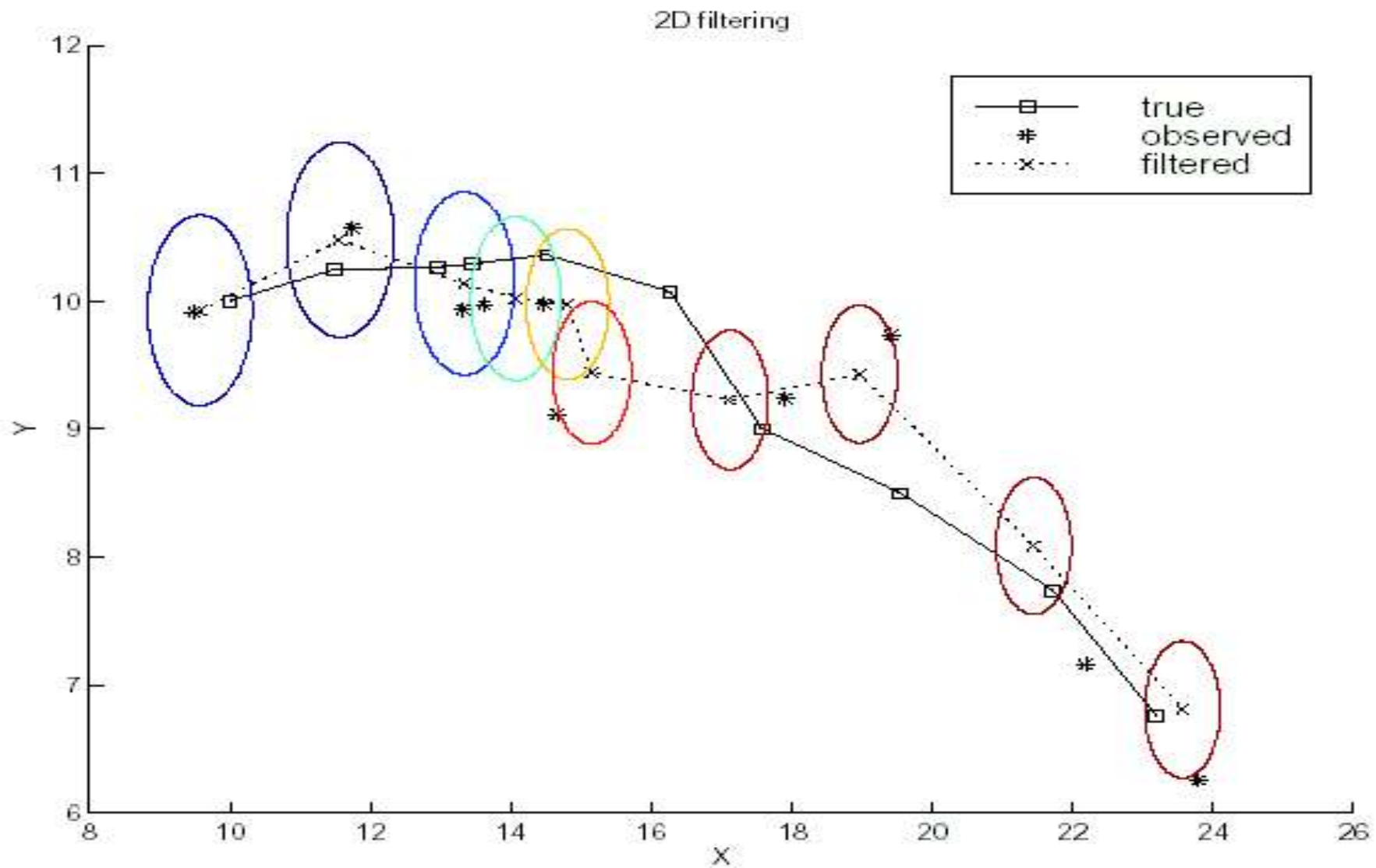
Kalman Filter



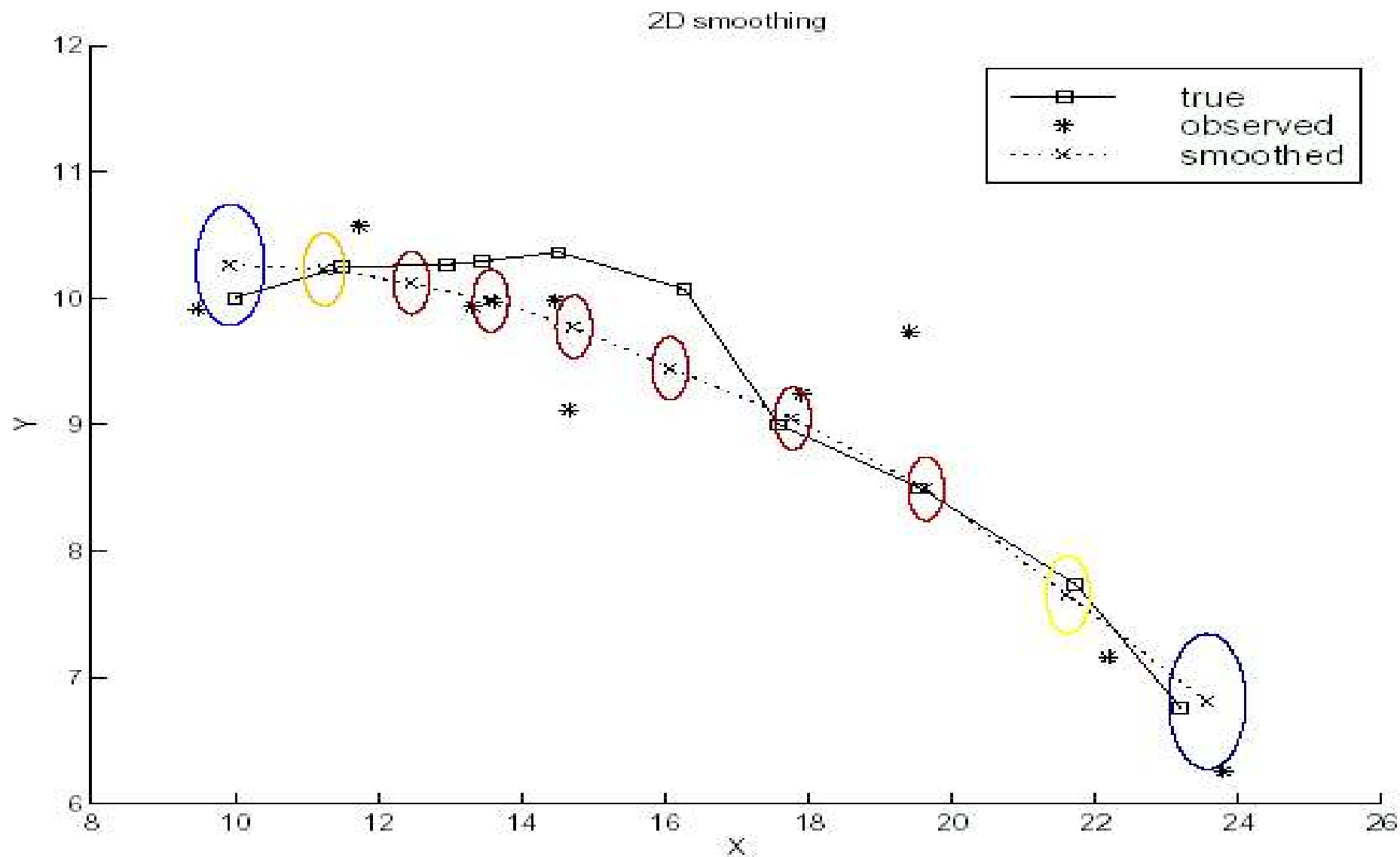
Position, velocity and position measurement

Basically we forward messages (means + covariance matrix) to produce new message (means + covariance matrix)

Kalman filtering



Kalman Smoothing



Outline



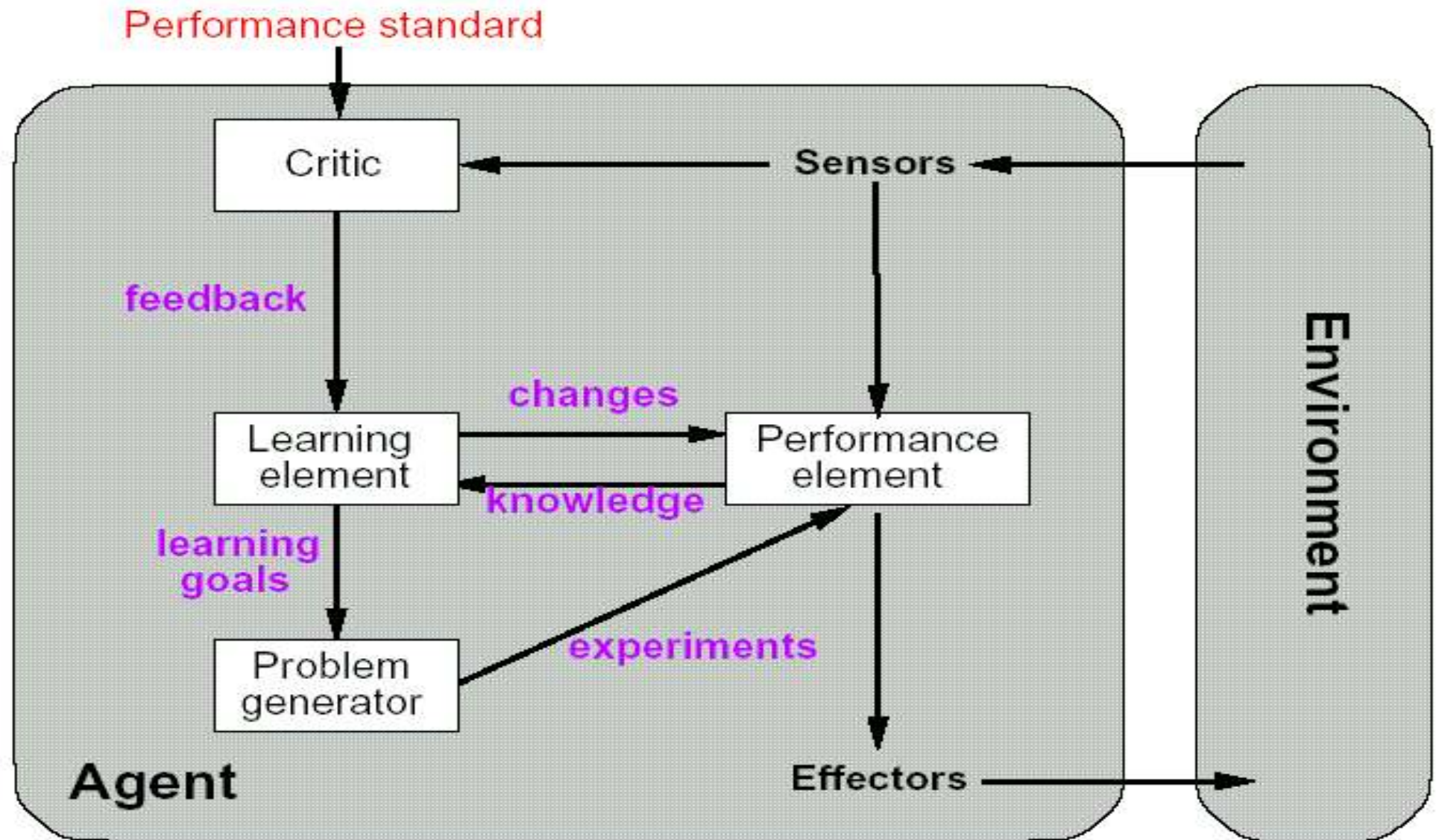
- Learning agents
- Inductive Learning
- Decision tree learning
- Measuring learning performance

Learning



- Learning is essential for unknown environs
 - Designer lacks omniscience
- Learning is useful as a system construction method
 - Expose the agent to reality rather than trying to write it down
- Learning modifies agents decision making mechanisms to improve performance

Learning Agents



Learning Element



- Design is dictated by:
 - Type of performance element
 - Functional component to be learned
 - How functional component is represented
 - Type of feedback

Example scenarios



Performance element	Component	Representation	Feedback
Alpha-beta search	Eval. fn.	Weighted linear function	Win/loss
Logical agent	Transition model	Successor-state axioms	Outcome
Utility-based agent	Transition model	Dynamic Bayes net	Outcome
Simple reflex agent	Percept-action fn	Neural net	Correct action

Supervised learning: correct answers for each training instance

Unsupervised learning: no feedback

Reinforcement learning: occasional rewards

Other terms: Classification, Regression, Clustering, Online, Offline

Inductive Learning



- Simplest form: “learn” a function from examples (training set)
 - An example is a pair $x, f(x)$
 - Find hypothesis $h(x)$ such that $h(x) \approx f(x)$ given a **training set** of example
- Highly simplified. Why ?

Inductive Learning

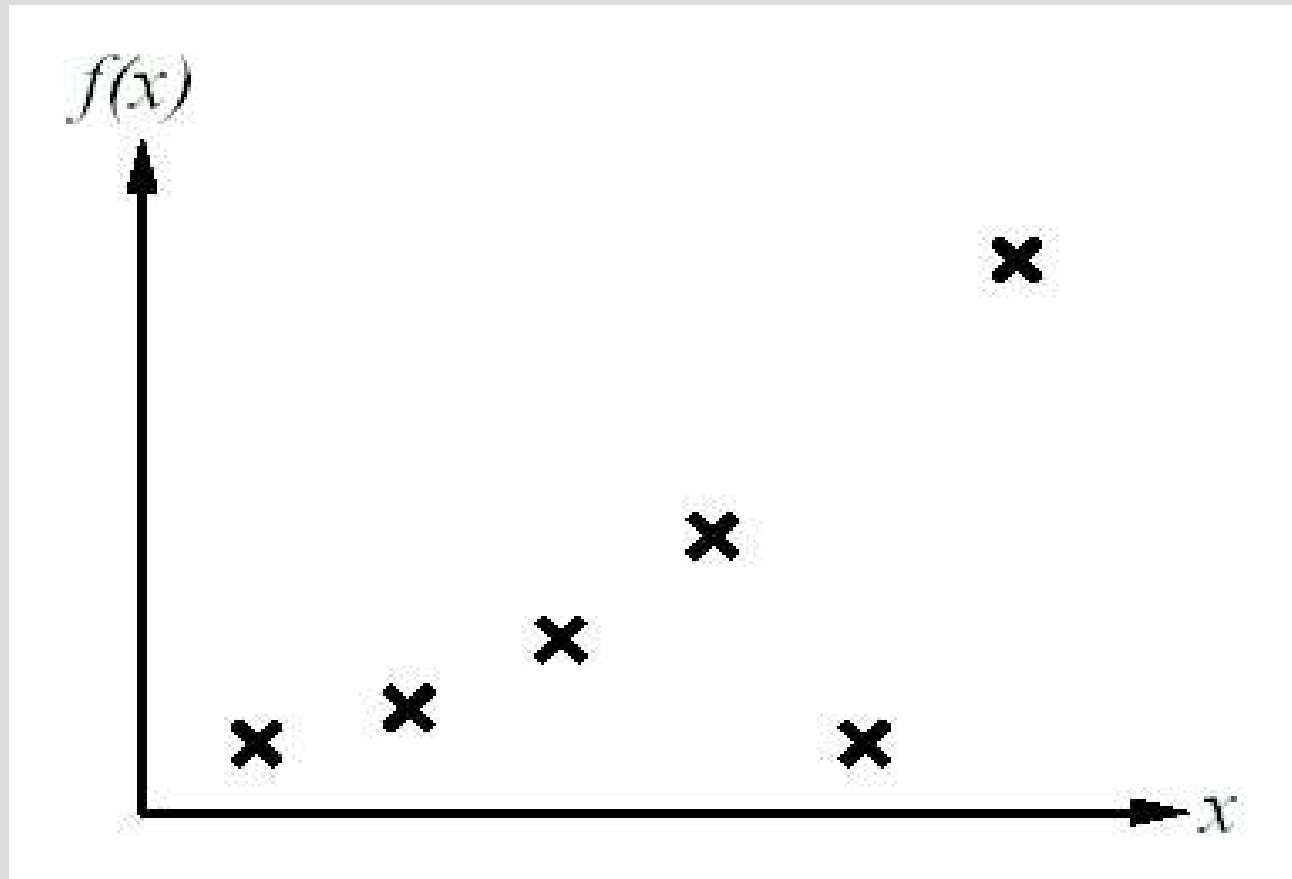


- Learning a function is simplified:
 - Ignores prior knowledge
 - Assumes deterministic observable environment
 - Assumes examples are given
 - Assumes that the agent wants to learn f – why ?

Inductive Learning Method



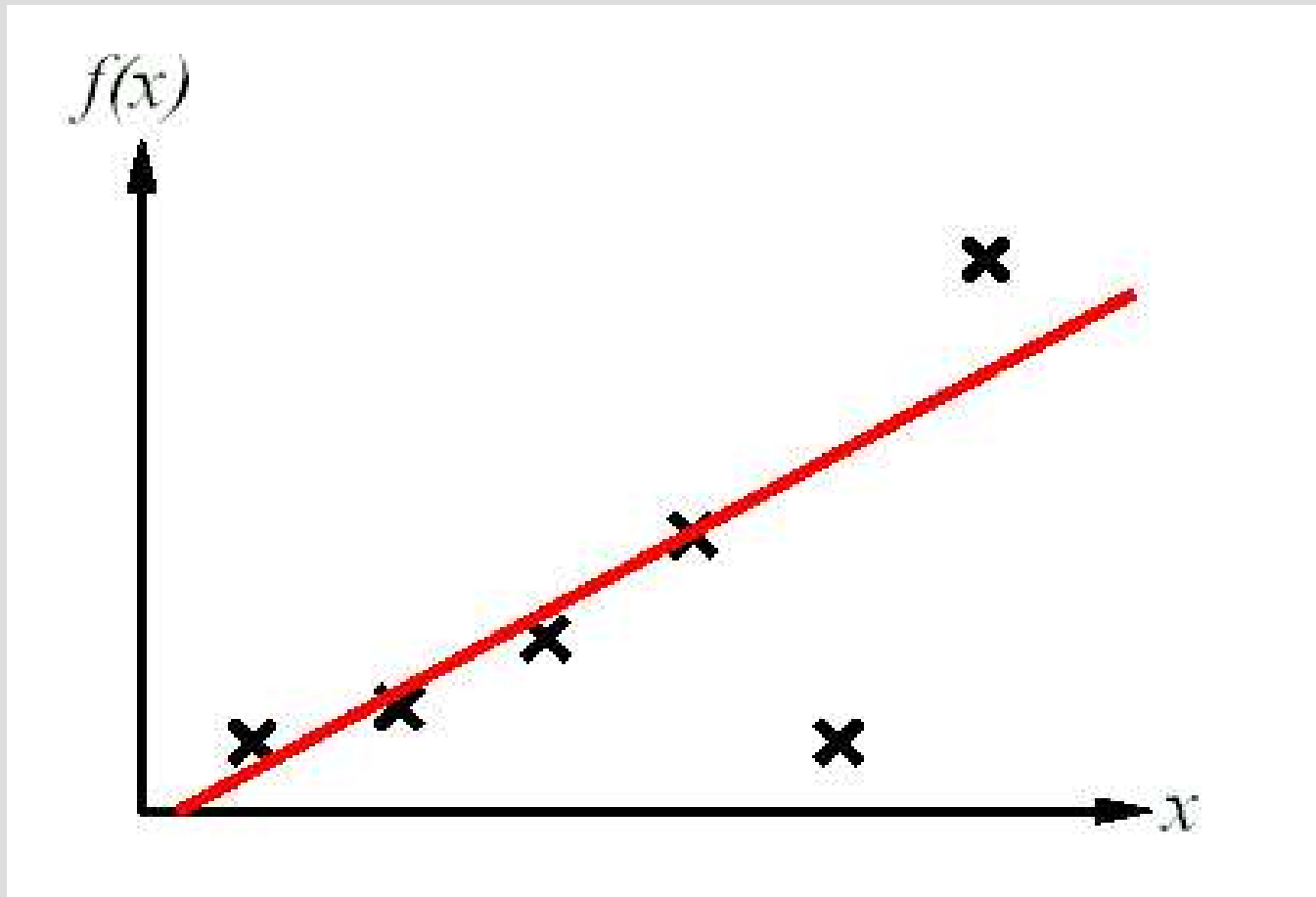
- Construct/adjust h to agree with f on training set e.g curve fitting



Inductive Learning Method



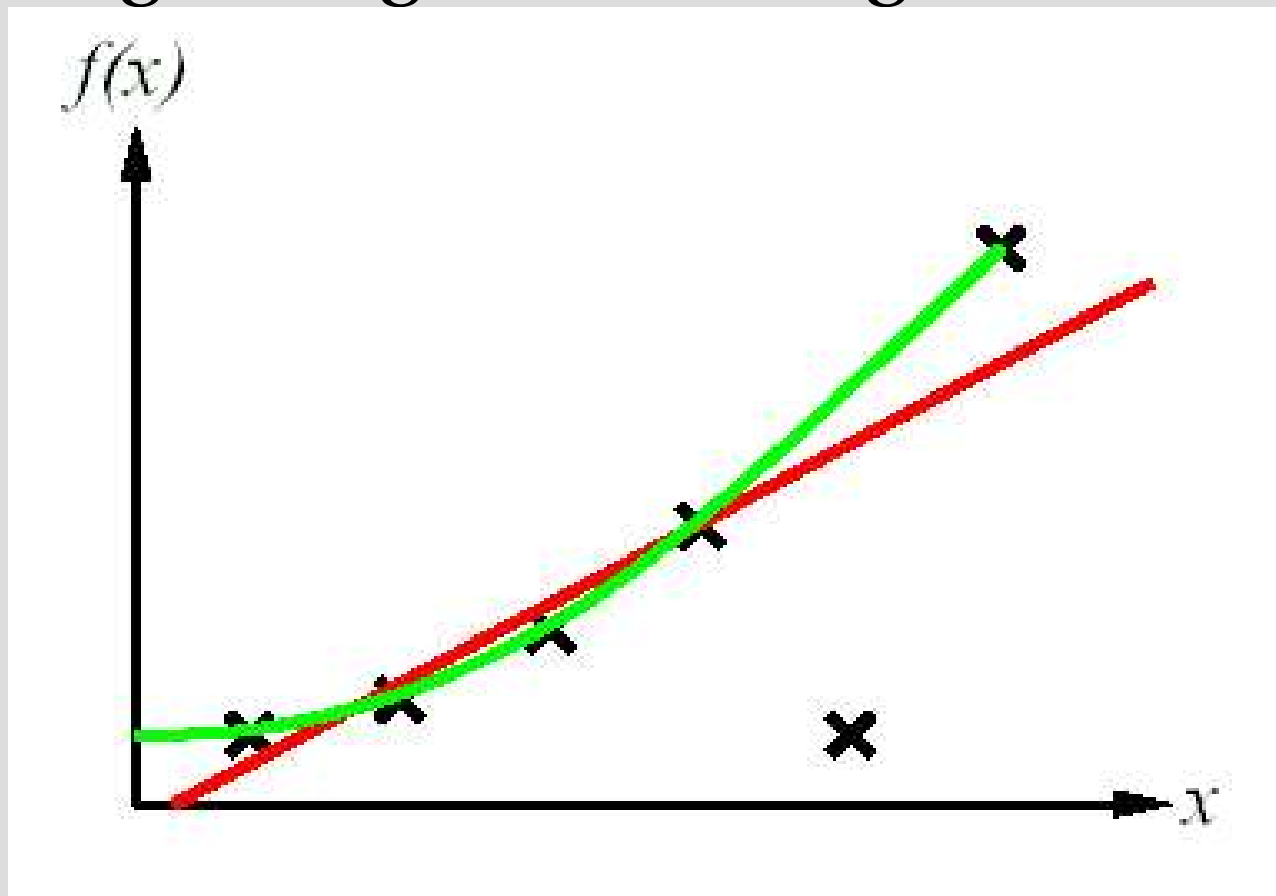
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Inductive Learning Method



- Construct/adjust h to agree with f on training set e.g curve fitting

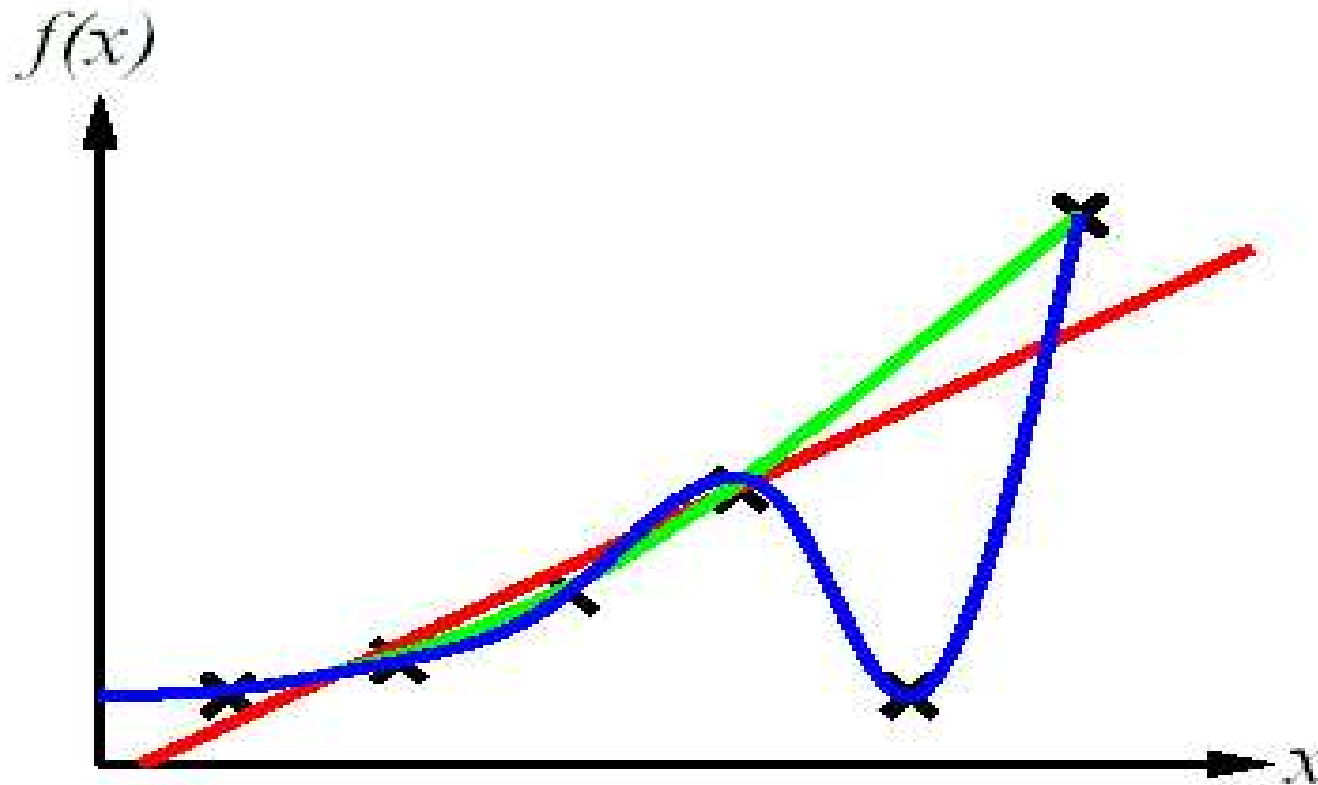


CONSISTENT
HYPOTHESIS

Inductive Learning Method



- Construct/adjust h to agree with f on training set e.g curve fitting

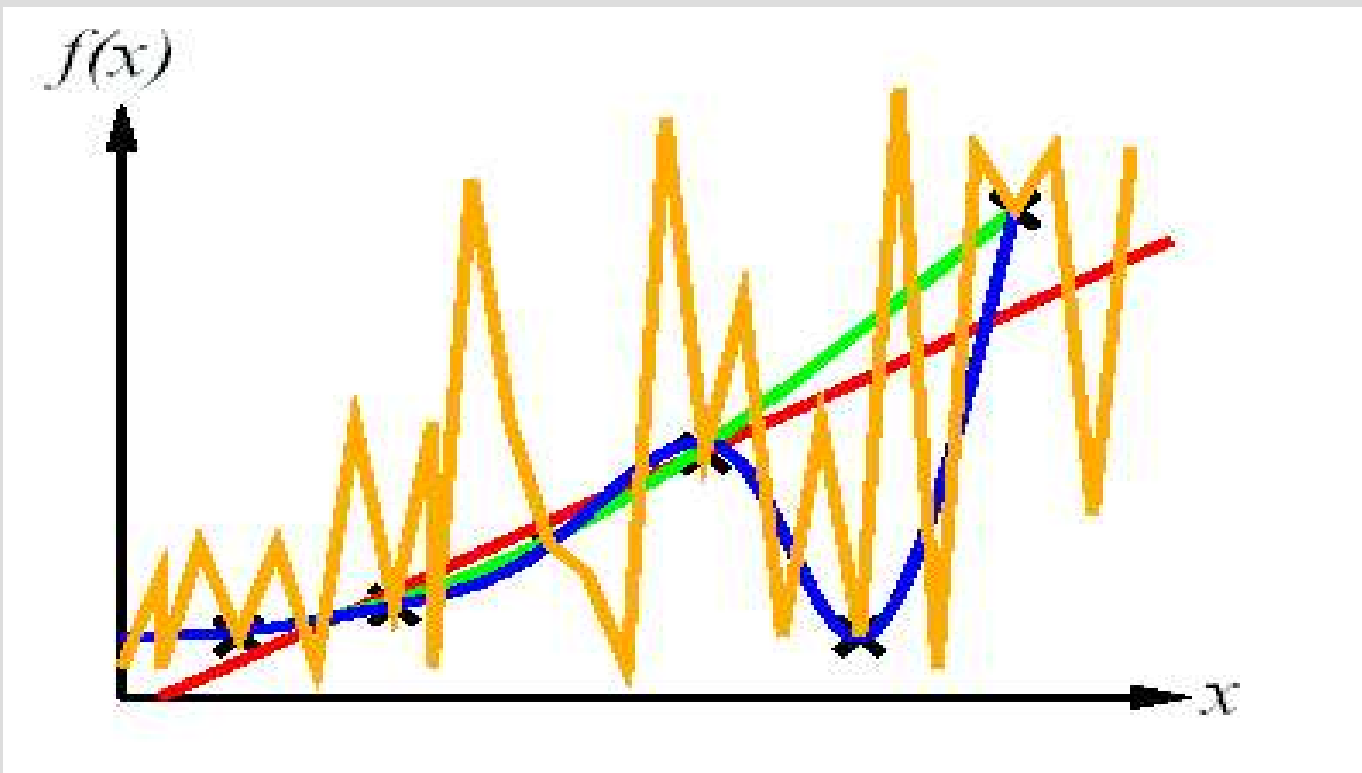


CONSISTENT
HYPOTHESIS

Inductive Learning Method



- Construct/adjust h to agree with f on training set e.g curve fitting



CONSISTENT
HYPOTHESIS

OCCAM'S
RAZOR
Maximize a
combination
of consistency
and simplicity