

CSC421 Intro to Artificial Intelligence



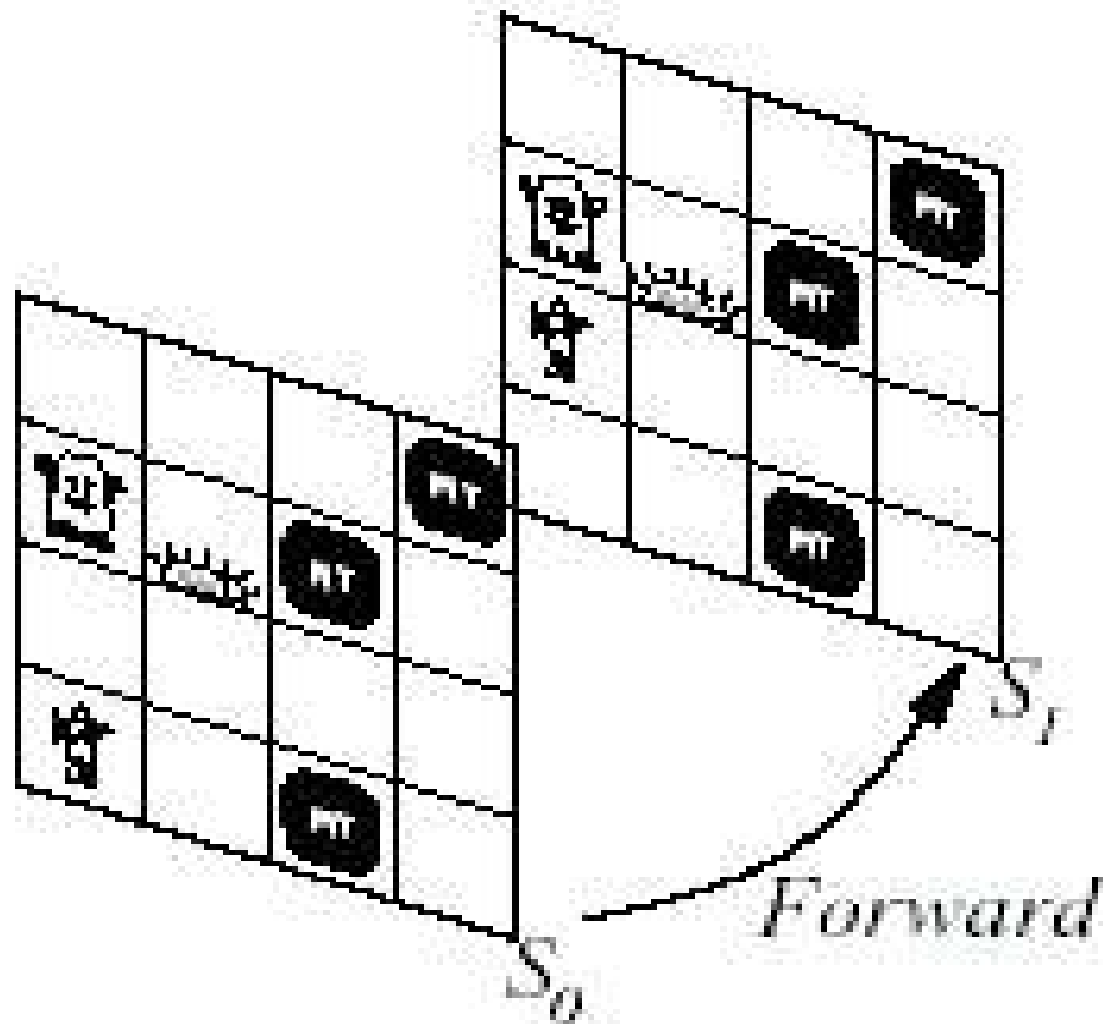
UNIT 17: Knowledge Engineering

Keeping track of change



- Facts hold in situations, rather than eternally
 - e.g. $\text{Holding}(\text{Gold}, \text{Now})$ rather than just $\text{Holding}(\text{Gold})$
- Situation calculus is one way to represent change in FOL
 - Add a situation argument to every non-eternal predicate (for example Now is a situation)
- Situations are connected by the Result function
 - $\text{Result}(a, s)$ is the situation that results from doing a in s

Situation Calculus



Describing axioms I



- “Effect” axiom – describe changes due to action
 - $\forall s \text{ AtGold}(s) \Rightarrow \text{Holding}(\text{Gold}, \text{Result}(\text{Grab}, s))$
- “Frame” axioms – describe non-changes due to action
 - $\forall s \text{ HaveArrow}(s) \Rightarrow \text{HaveArrow}(\text{Result}(\text{Grab}, s))$
- **Frame problem**: find elegant way to handle non-change (identified in 1969)
 - Representation : avoid frame axioms
 - Inference: avoid repeated “copy-overs” to keep track of state

Describing actions II



- Successor-state axioms solve the representational frame problem
 - Each axiom is about a predicate
 - $[P \text{ true afterwards}] \text{ iff } [\text{an action made } P \text{ true or } P \text{ true already and no action made } P \text{ false}]$
 - For holding the gold:
 - $\forall a, s \text{ Holding}(\text{Gold}, \text{Result}(a, s)) \iff$
 $[\text{a} = \text{Grab} \wedge \text{AtGold}(s)] \vee [\text{Holding}(\text{Gold}) \wedge \text{a} \neq \text{Release}]$
- R.Reiter 1991 UofT



Making Plans



- Initial condition in KB:
 - $At(\text{Agent}, [1,1], S_0)$
 - $At(\text{Gold}, [1,2], S_0)$
- Query: $Ask(KB, \exists s \text{ Holding}(\text{Gold}, s))$
 - i.e in what situation will I be holding Gold
 - Answer $\{s / \text{Result}(\text{Grab}, \text{Result}(\text{Forward}, S_0))\}$
- This assumes that the agent is interested in plans starting at S_0 and that S_0 is the only situation in KB

Making Plans: a better way



- Plans = actions sequences
- $\text{PlanResult}(p, s)$ is the resulting of executing p in s
- Then the query $\text{Ask}(\text{KB}, \exists p \text{ Holding}(\text{Gold}, \text{PlanResult}(p, S_0)))$
- Answer: $\{p / [\text{Forward}, \text{Grab}]\}$
- Define PlanResult in terms of Result

Definition of PlanResult



- In terms of Result
 - $\forall s \text{ PlanResult}([], s) = s$
 - $\forall a, p, s \text{ PlanResult}([a|p], s) = \text{PlanResult}(p, \text{Result}(a, s))$
- **Planning systems** are special purpose reasoners designed to do this type of inference more efficiently than a general purpose reasoner

Event Calculus



- Fluents hold at points in time
- Reasoning over intervals of time
 - $\text{Initiates}(e, t, f)$ event e at time t cause fluent f to become true
 - $\text{Terminates}(e, f, t)$ f ceases to be true
 - $\text{Happens}(e, t)$
 - $\text{Clipped}(f, t, t_2)$ terminated by some event between t and t_2
- Many extensions
 - Duration, indirect effects, concurrent events

Generalized Events



- Aspects of some space-time chunk
- Generalizes: actions, locations, times, fluents and physical objects
 - Subevent(BattleofBritain, WorldWarII)
 - Subevent(WorldWarII, 20th century)
 - Duration(Period(WorldWarII)) > Year(5)
- $\exists w \quad w \in \text{CivilWars} \wedge \text{SubEvent}(w, 1640s) \wedge \text{In}(\text{Location}(w), \text{England})$

Processes (Liquid Events)



- Flying(Shankar)
- Any segment is still a member of Flying(Shankar)
- Fluent calculus
 - Both($e1, e2$)
 - One of($e1, e2$)
 - Either($e1, e2$)
- Time intervals
 - Meet
 - Before/After
 - During
 - Overlap