Variable	Subgraph reduced onto (a, b)	Endpoints
$P_1(a, b)$	Path from w to a to b to x	w = a, x = b
$P_1(\bar{a}, b)$	Path from w to a to b to x	$w \neq a, x = b$
$P_1(a, \bar{b})$	Path from w to a to b to x	$w = a, x \neq b$
$P_1(\bar{a}, \bar{b})$	Path from w to a to b to x	$w \neq a, x \neq b$



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$P_2(a, b)$	Two paths from w to a and from b to x	w = a, x = b
$P_2(\bar{a}, b)$	Two paths from w to a and from b to x	$w \neq a, x = b$
$P_2(a, \bar{b})$	Two paths from w to a and from b to x	$w = a, x \neq b$
$P_2(\bar{a}, \bar{b})$	Two paths from w to a and from b to x	$w \neq a, x \neq b$



The initial subgraph reduced onto an edge (u,v) is:





0	0	w C	0	0)×	w C	^×
w=a	b=x	a	b=x	w=a	Ь	۵	Ь



What does the picture look like that corresponds to

$$p_1(u, \overline{w})$$
$$p_1(w, \overline{v})$$
$$p_1(u, v)$$





This is not a subgraph of a Hamilton path.



What does the picture look like that corresponds to

 $p_1(u, \overline{w})$ $p_2(w, \overline{v})$ $p_1(u, v)$





 $p_1(u, \overline{w})$ $p_2(w, \overline{v})$ $p_1(u, v)$



If G has only vertices u and v, this is a Hamilton path.



What does the picture look like that corresponds to $p_1(\bar{u}, w)$ $p_2(\bar{w}, v)$ $p_2(u, \bar{v})$





What does the picture look like that corresponds to $p_1(\bar{u}, w)$ $p_2(\bar{w}, v)$ $p_2(u, \bar{v})$



This one can be extended to a Hamilton path of the whole graph by using a Hamilton path from G that connects u to v:



We have 8 choices for each of the L, R and M edges.

But many of these do not look like the paths we need to build a Hamilton path.

Which combinations could contribute?

I am very sorry to hear that one of my collaborators in the 120-cell work passed away in a fire on Wednesday evening.



Michel Marie Deza